

## AMENDMENTS TO THE SPECIFICATION

Please replace paragraph [0050] with the following amended paragraph.

[0050] The content publisher generates the sharing polynomial  $f(x)$  ~~over a finite field  $Z_N$~~  where  $a_0 = SK$ . Although polynomial interpolation is described, other collections of functions may also be utilized. Each partial secret share  $S_i$  may then be calculated using Equation (3), which is shown as follows:

$$S_i = f(id_i) \bmod \underline{N\phi(N)} \quad (3)$$

where  $N$  is a RSA modulus and  $\phi(N)$  is a Euler totient function.

Please replace paragraph [0053] with the following amended paragraph.

[0053] At block 514, for instance, the content publisher may broadcast  $k$  public witnesses of the sharing polynomial's coefficients, which are denoted as  $\{g^{a_0}, \dots, g^{a_{k-1}}\}$ , where  ~~$g \in Z_N$~~   $g \in Z_N^*$ . After broadcast, the content publisher may destroy the polynomial.

At block 516, each license authority  $id_i$  verifies validity of the received partial secret share. Validity may be checked by determining if Equation (4), as shown below, holds for the received partial secret share  $S_i$  utilizing the sharing polynomial's coefficients which were broadcast at block 514:

$$g^{S_i} = g^{a_0} \cdot (g^{a_1})^{id_i} \cdot \dots \cdot (g^{a_{k-1}})^{id_i^{k-1}} \bmod \underline{N} \quad (4)$$

1 In this way, each license authority  $id_i$ , may verify the validity of the received partial  
2 secret share  $S_i$  without exposing or knowing the secret, i.e. the private key  $SK$ .

3  
4 Please replace paragraph [0063] with the following amended paragraph.

5  
6 [0063] At block 620, the content player, when executed by the client device, determines if  
7  $k$  correct partial licenses have been received by validating each of the partial licenses.  
8 The partial licenses may be validated as follows. First, node  $p$  calculates

$$9 \quad g^{S_i} = g^{a_0} \cdot (g^{a_1})^{id_i} \cdot \dots \cdot (g^{a_{k-1}})^{id_i^{k-1}} \pmod{N} \quad (7)$$

11 from the public witnesses of the sharing polynomial's coefficients, as was described in  
12 relation to block 516 of FIG. 5 and Equation (4). Equation (6) is then applied to  $g^{S_i}$  and  
13 the received partial license  $prel_i$ ,  $A_1$ , and  $A_2$  to calculate  $c$ . The received partial license  
14  $prel_i$  is verified by checking if the following equations hold:  $g^r \cdot (g^{S_i})^c = A_1$   
15 and  $prel_i^r \cdot (prel_i)^c = A_2$ . The above steps are repeated until the node  $p$  obtains  $k$  valid  
16 partial licenses. If  $k$  valid partial licenses cannot be obtained, generation of the formal-  
17 license fails (block 622).

18  
19 Please replace paragraph [0064] with the following amended paragraph.

20  
21 [0064] If  $k$  valid partial licenses are obtained, then at block 624, the content player  
22 combines the partial licenses to form the formal license. For example, the node  $p$  uses  
23 the  $k$  valid partial results to calculate the formal license utilizing Equation (8):  
24  
25

$$\begin{aligned}
license &= \prod_i (prel_i)^{l_{id_i}(0)} = (prel)^{\sum_i S_i \cdot l_{id_i}(0)} \\
&= (prel)^{SK} = ((license)^{PK})^{SK} \bmod N,
\end{aligned} \tag{8}$$

$$\text{where } l_{id_i}(x) = \prod_{j=1, j \neq i}^k \frac{x - id_j}{id_i - id_j}.$$

Please replace paragraph [0075] with the following amended paragraph.

[0075] At periodic intervals, for example, the license authorities may update their respective shares of the private key  $SK$  through execution of the respective update module 222 of FIG. 2. At block 802, each license authority  $i$  generates a random  $(k, m)$  sharing of the secret  $0$  using a random update polynomial  $f_{i, \text{update}}(x)$ , as shown in Equation (9):

$$f_{i, \text{update}}(x) = b_{i,1}x + \dots + b_{i,k-1}x^{k-1} \bmod N \tag{9}$$